# Demographic rates of northern royal albatross at Taiaroa Head 

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## Goals

Estimation of:

- Annual survival rate of different age classes of northern royal albatross
- Age at first return to the colony
- Age at first reproduction
- Population size
- Ratio of the total population to the number of annual breeding pairs

How?

- Bayesian multi-state capture-recapture model
- 22 years of data on presence/absence and breeding at Taiaroa Head colony

Update of the Potential Biological Removal (PBR)

## Rationale

At risk from commercial fisheries in NZ (Richard et al. 2013)

- Potential annual fatalities: 108 (95\% c.i.: 72-160)
- Potential Biological Removal (PBR): 396 (95\% c.i.: 164-782)
- Large uncertainty in PBR driven by uncertainty in adult survival rate

Existing adult survival rates from 20 years ago (Robertson 1993)

Taiaroa Head: great quality data; potential extrapolation to the whole species.

## Northern royal albatross

- Endemic to New Zealand
- Conservation status: "Endangered" (IUCN) / "Naturally Uncommon" (DOC)
- Breeds predominantly in the Chatham Islands. 5 200-5 800 annual breeding pairs
- Biennial breeder; breeding season October-November
- Single egg laying: October-December
- Hatching: late January / early February
- Fledging: August-October
- Age at first return: minimum 3 year-old
- Age at first reproduction: 8 year-old


## Taiaroa Head colony



A small colony self-established on the New Zealand mainland at Taiaroa Head, at the tip of the Otago peninsula.

- First fledgling in 1938
- Administered as a Nature Reserve in 1964
- Now a major tourist attraction
- 130000 visitors/year



## Taiaroa Head



- Banding of individuals since 1938
- Colony intensively monitored since 1968
- Predator control
- Fostering of eggs and chicks


## Data

Records:

- Presence at the colony (present or not)
- Status
- Juvenile (from fledging to $1^{\text {st }}$ return)
- Pre-breeder (from $1^{\text {st }}$ return to $1^{\text {st }}$ breeding)
- Breeding adult
- Non-breeding adult
- Outcome of breeding attempt (successful or not)
- Age
- Sex

Daily visits summarised at year level.
Data available from 1989-90 to 2011-12.
2128 annual resightings of 355 banded individuals of known-age.
27 immigrants from the Chathams not included.

## At a glance



## Survival analysis

Year: $\begin{array}{llllllllll}1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9\end{array}$
Data:


Status:
Alive
Dead?

## Survival analysis

Survival rate needs to be jointly estimated with detection probability. Here,

- Detection probability $=1$
- When not recorded at colony, individual either at sea or dead.

Survival and detection probability depend on the state of the individual.

- Juveniles have lower survival
- Pre-breeders have higher colony attendance
- Adult breeding successfully are generally not seen at the colony the following year.


## Modelling

## Bayesian multi-state capture-recapture model

- Integrated model, adapted from Dillingham et al. (2011)
- Estimation of the transitions between states
- States are observed or not


J: Juvenile PB: Pre-breeder B: Breeding adult NB: Non-breeding adult
D: Dead

## Base model

Transitions between classes

$$
\begin{aligned}
P\left(\mathrm{~PB}_{t} \mid \mathrm{J}_{t-1}\right) & =R_{a} \phi_{\mathrm{J}} \\
P\left(\mathrm{~B}_{t} \mid \mathrm{PB}_{t-1}\right) & =B_{a} \phi_{\mathrm{PB}} \\
P\left(\mathrm{~B}_{t} \mid \mathrm{NB}_{t-1}\right) & =P(\text { breed } \mid \text { non-breeder }) \phi_{\mathrm{A}}
\end{aligned}
$$

$$
P\left(\mathrm{NB}_{t} \mid \mathrm{B}_{t-1}\right)= \begin{cases}(1-P(\text { breed again } \mid \text { success })) \phi_{\mathrm{A}} & \text { after successful breeding attempt } \\ (1-P(\text { breed again } \mid \text { fail })) \phi_{\mathrm{A}} & \text { after failed breeding attempt }\end{cases}
$$

## Base model

Probabilities of remaining in the same live state:

$$
\begin{aligned}
P\left(\mathrm{~J}_{t} \mid \mathrm{J}_{t-1}\right) & =\left(1-R_{a}\right) \phi_{\mathrm{J}} \\
P\left(\mathrm{~PB}_{t} \mid \mathrm{PB}_{t-1}\right) & =\left(1-B_{a}\right) \phi_{\mathrm{PB}} \\
P\left(\mathrm{NB}_{t} \mid \mathrm{NB}_{t-1}\right) & =(1-P(\text { breed } \mid \text { non-breeder })) \phi_{\mathrm{A}}
\end{aligned}
$$

$$
P\left(\mathrm{~B}_{t} \mid \mathrm{B}_{t-1}\right)= \begin{cases}P(\text { breed again } \mid \text { success }) \phi_{\mathrm{A}} & \text { after successful breeding attempt } \\ P(\text { breed again } \mid \text { fail }) \phi_{\mathrm{A}} & \text { after failed breeding attempt }\end{cases}
$$

## Base model

## Probabilities of being dead (D):

$$
\begin{aligned}
P\left(\mathrm{D}_{t} \mid \mathrm{J}_{t-1}\right) & =1-\phi_{\mathrm{J}} \\
P\left(\mathrm{D}_{t} \mid \mathrm{PB}_{t-1}\right) & =1-\phi_{\mathrm{PB}} \\
P\left(\mathrm{D}_{t} \mid \mathrm{B}_{t-1}\right) & =1-\phi_{\mathrm{A}} \\
P\left(\mathrm{D}_{t} \mid \mathrm{NB}_{t-1}\right) & =1-\phi_{\mathrm{A}} \\
P\left(\mathrm{D}_{t} \mid \mathrm{D}_{t-1}\right) & =1
\end{aligned}
$$



Death is a state typically unobservable.
10 birds reported dead at or near the colony +2 deaths reported from pelagic longline fisheries off Uruguay.

## Base model

Probability $R_{a}$ of a juvenile of age a returning to the colony:

$$
\begin{cases}R_{a}=0 & \text { for } 1 \leq a<3 \\ R_{a}=P(\text { first return } \mid \text { age }=a) & \text { for } 3 \leq a<8 \\ R_{a}=P(\text { first return } \mid \text { age } \geq 8) & \text { for } a \geq 8\end{cases}
$$



Probability $B_{a}$ of breeding for the first time at age $a$ :
$\begin{cases}B_{a}=0 & \text { for } 1 \leq a<6 \\ B_{a}=P(\text { first breeding } \mid \text { age }=a) & \text { for } 6 \leq a<11 \\ B_{a}=P(\text { first breeding } \mid \text { age } \geq 11) & \text { for } a \geq 11\end{cases}$


## Base model

Probability of being at the colony:

$$
\begin{aligned}
P\left(\mathrm{C}_{t} \mid \mathrm{J}_{t}\right) & =0 \\
P\left(\mathrm{C}_{t} \mid \mathrm{PB}_{t}\right) & =\gamma_{\mathrm{PB}} \\
P\left(\mathrm{C}_{t} \mid \mathrm{NB}_{t}\right) & =\gamma_{\mathrm{NB} \mid \mathrm{S}}, \text { for adults who bred successfully the previous year } \\
P\left(\mathrm{C}_{t} \mid \mathrm{NB}_{t}\right) & =\gamma_{\mathrm{NB} \mid \mathrm{F}}, \text { for adults who did not breed successfully the previous year } \\
P\left(\mathrm{C}_{t} \mid \mathrm{B}_{t}\right) & =1 \\
P\left(\mathrm{C}_{t} \mid \mathrm{D}_{t}\right) & =0 .
\end{aligned}
$$

## Increasing model complexity

- Adult survival may vary between males and females

$$
\operatorname{logit}\left(\phi_{M}\right)=\operatorname{logit}\left(\phi_{F}\right)+\beta_{M}
$$

- Senescence - Survival declines with age

$$
\operatorname{logit}\left(\phi_{a}\right)= \begin{cases}\operatorname{logit}\left(\phi_{6}\right) & \text { for } 1 \leq a<6 \\ \operatorname{logit}\left(\phi_{6}\right)+\alpha_{\mathrm{A}}(a-6)+\beta_{\mathrm{A}}(a-6)^{2} & \text { for } a \geq 6\end{cases}
$$

- Inter-annual variation in survival
- Year as fixed effect
- Year as random effect


## Model selection

| Model | Deviance |  | $\triangle$ DIC |
| :---: | :---: | :---: | :---: |
|  | Mean | Variance |  |
| $S_{J}\left(\right.$ year_re), $S^{\text {PB }}$ (year_re), $S_{\text {A }}$ (age+year_re) | 3079.10 | 548.40 | 0.00 |
| $\mathrm{S}_{\mathrm{J}}(),. \mathrm{S}_{\text {PB }}(),. \mathrm{S}_{\text {A }}$ (age+year_re) | 3078.90 | 566.81 | 9.01 |
| $\mathrm{S}_{J}(),. \mathrm{SPB}^{\text {(.) }}$ ) $\mathrm{S}_{\mathrm{A}}($ age $)$ | 3082.64 | 559.60 | 9.14 |
| $\mathrm{S}_{\mathrm{J}}(),. \mathrm{S}_{\mathrm{PB}}(),. \mathrm{S}_{\mathrm{A}}($. | 3087.27 | 555.73 | 11.83 |
| $\mathrm{S}_{J}(),. \mathrm{S}_{\mathrm{PB}}(),. \mathrm{S}_{\mathrm{A}}($ sex+age $)$ | 3082.64 | 566.48 | 12.58 |
| $S_{J}\left(\right.$ year_re), $S_{P B}$ (year_re), $S_{A}$ (year_re) | 3083.95 | 565.01 | 13.16 |
| $\mathrm{S}_{\mathrm{S}}\left(\right.$ year_re), $\mathrm{S}_{\text {PB }}$ (year_re), $\mathrm{S}_{\mathrm{A}}($ sex+age+year_re) | 3078.91 | 577.59 | 14.41 |
| $\mathrm{S}_{\mathrm{J}}(),. \mathrm{S}_{\text {PB }}(),. \mathrm{S}_{\mathrm{A}}$ (year_re) | 3083.24 | 569.45 | 14.66 |
| $\mathrm{S}_{J}(),. \mathrm{S}_{\text {PB }}(),. \mathrm{S}_{\mathrm{A}}($ sex+age+year_re) | 3078.59 | 582.92 | 16.74 |
| $\mathrm{S}_{J}($ year $), \mathrm{S}_{\text {PB }}($ year $), \mathrm{S}_{\mathrm{A}}($ age + year $)$ | 3172.26 | 747.69 | 192.81 |

Best model: senescence, random annual variations, no gender difference

| Parameter | Mean | 95\% c.i. |  |
| :---: | :---: | :---: | :---: |
|  |  | Lower limit | Upper limit |
| Juvenile survival | 0.933 | 0.908 | 0.966 |
| Pre-breeder survival | 0.966 | 0.950 | 0.980 |
| Adult survival - overall | 0.950 | 0.941 | 0.959 |
| 6 year-old | 0.976 | 0.963 | 0.988 |
| 20 year-old | 0.968 | 0.957 | 0.979 |
| 40 year-old | 0.915 | 0.879 | 0.946 |
| Mean age at first return | 4.813 | 4.631 | 5.058 |
| Mean age at first breeding | 8.851 | 8.532 | 9.291 |
| $\gamma_{\text {NB }} \mid$ fail | 0.954 | 0.917 | 0.979 |
| $\gamma_{\text {NB }} \mid$ success | 0.162 | 0.129 | 0.195 |
| $\gamma_{\text {PB }}$ | 0.991 | 0.982 | 0.997 |
| $P$ (breed again\|fail) | 0.828 | 0.789 | 0.864 |
| $P$ (breed again\|success) | 0.006 | 0.001 | 0.015 |
| $P$ (breed\|non-breeder) | 0.791 | 0.757 | 0.823 |
| Proportion of adults breeding | 0.567 | 0.565 | 0.569 |

## Model fit

Age at first return


Age at first breeding


## Model fit

Distribution of age classes with age


## Senescence

Adult survival declines with age after 20 years.


## Inter-annual variability

No trend over time $\Rightarrow$ No fundamental change in conditions.


## Limitations

- Extrapolation of survival rate to the whole species unclear
- Management of the colony
- Potentially different foraging area
- But existing estimate from the Chathams is similar (0.952)
- Local survival rate
- Emigration to Chatham Islands not included in model
- One case of a bird from Taiaroa Head found breeding in the Chathams
- 27 visitors or immigrants from the Chathams to Taiaroa


## Population size and growth

Current total population size at Taiaroa Head exceeds 200 individuals.


## Total population vs. annual breeding pairs

$N / N_{\text {BP }}=7.65$ ( $95 \%$ c.i.: $5.03-11.64$ )
Highly variable between years.


## Risk assessment update

Slight decrease in the $\mathrm{PBR}_{1}$ with the updated estimates of adult survival and age at first reproduction, From 396 ( $95 \%$ c.i.: $164-782$ ) to 316 ( $95 \%$ c.i.: 161-550)

Slight increase in the risk ratio (fatalities $/ \mathrm{PBR}_{1}$ ), from 0.29 ( $95 \%$ c.i.: $0.12-0.7$ ) to 0.35 ( $95 \%$ c.i.: 0.17-0.74).

However, same probability of fatalities exceeding $\mathrm{PBR}_{1}$ (0.3\%).

## Conclusions

- Updated estimates in concordance with previous estimates.
- No detection of a trend over time in survival.
- The Taiaroa Head population doubled in the last 20 years.
- Long-term monitoring is essential, and Taiaroa Head provides a unique opportunity for research (e.g. density-dependence).


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Photos (Creative Commons on Flickr): davidbrewster, rrriles, nznationalparty Photo of L. Richdale: Otago Daily Times

